



A conformance relation for model-based testing of PLC

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Summary

I / Introduction

II / Test sequence construction and execution

III / A conformance relation for MIC test sequences

IV / Conclusions and perspectives

Summary

I / Introduction

- Reminder on conformance testing
- Claim
- Assumptions
- Notations
- Treated example

II / Test sequence construction and execution

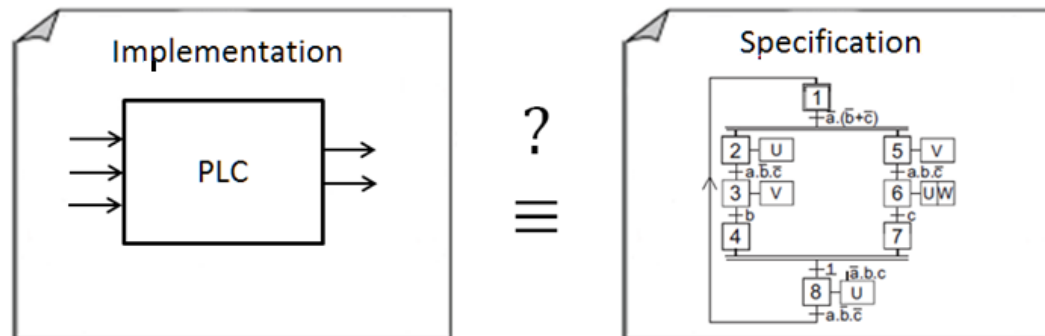
III / A conformance relation for MIC test sequences

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Reminder – Validation

Validation of an implementation [Boehm,79]:

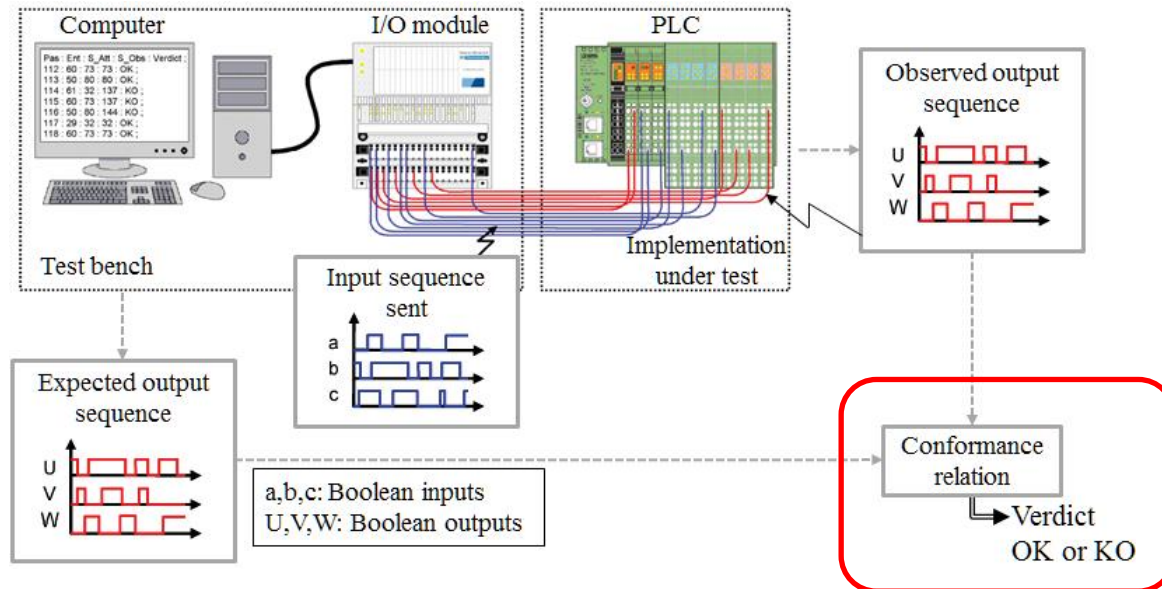
- Are we doing the right product?



Focus on conformance test

Reminder – Conformance test

Conformance test:



Based on:

- Knowledge of the formalized specification
- Generation of a test sequence depending on a given test objective
- Verdict for the whole test sequence depending on the conformance relation
- No knowledge about the plant

Relations to verify

Test objective, usually given as coverage criterion:

- Path coverage, ... (Software)
- Output, logic gates coverage, ... (logic circuits)
- States, Input combinations, transitions, ... (functional test)

Conformance relation (also called implementation relation):

- A formal relation between implementation and specification model
- Expresses the correctness of the implementation with respect to specifications

Conformance relation

Example of conformance relations:

- **For labeled transition system: [Tretmans,96]**
 - $I \text{ ioco } S = \forall \sigma \in \text{Straces}(S): \text{out}(I \text{ after } \sigma) \subseteq \text{out}(S \text{ after } \sigma)$

- **For timed automata: [Styp,10], [Nunez,02]**
 - Timed LTS: $I \text{ tioco } S = \forall \sigma \in \text{Straces}(S): \text{out}_t(I \text{ after}_t \sigma) \subseteq \text{out}_t(S \text{ after}_t \sigma)$
 - Timed FSM : $I \text{ conf}_a S \text{ iff } I \text{ conf}_{nt} S \text{ and } \forall e \in \text{NTEvol}(I) \cap \text{NTEvol}(S), \forall t, (e, t) \in \text{TEvol}(I) \Rightarrow (e, t) \in \text{TEvol}(S)$

- **For Mealy machine:**
 - $I \text{ conf } S \text{ iff } \forall et \in \sigma_{\text{test}}, \text{ the observed } (I_{\text{obs}}, O_{\text{obs}}) \text{ is such as } \delta(s_u, I_{\text{obs}}) = s_d \text{ and } \lambda(s_u, I_{\text{obs}}) = O_{\text{obs}}$

Claim

- Usual conformance relations are based on models of the implementation
- Conformance test is performed on a Programmable Logic Controllers (PLC)
- We claim to propose a conformance relation that takes in count the features of the PLC as the cyclic reading of the inputs values

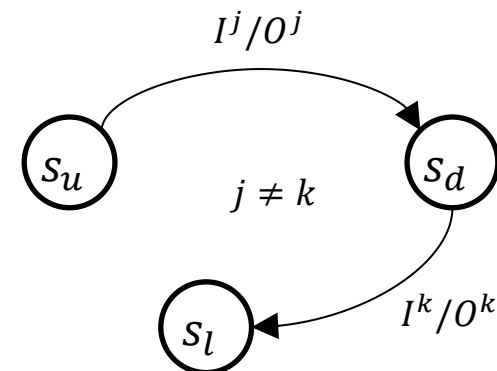
Assumptions

On the specification model:

- Non timed
- Mealy machine
- Complete and deterministic
- Without transient evolution (two following transitions that are not self-loop with the same input condition)
- States distinguishable by the output emission

On the observation:

- All Input/Output changes are detected



Notations

V_I Set of input variables

V_O Set of output variables

A Mealy machine is a 6 – tuple $(\mathcal{I}_M, \mathcal{O}_M, S, s_{init}, \delta, \lambda)$ where:

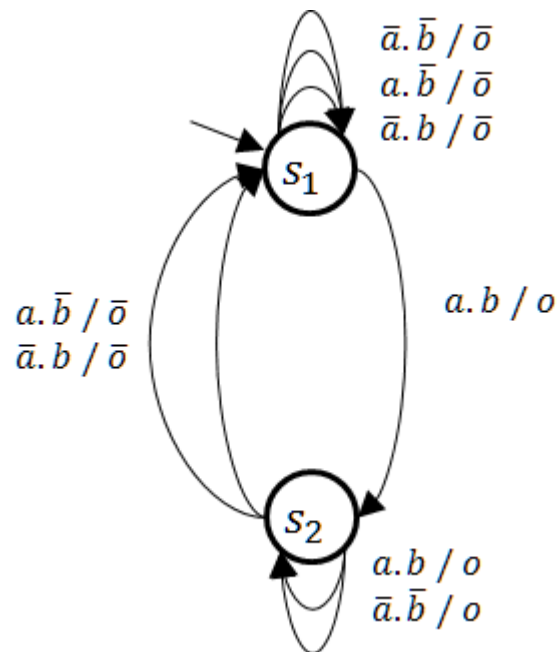
- \mathcal{I}_M is the input alphabet
- \mathcal{O}_M is the output alphabet
- S is the set of states
- s_{init} is the initial state
- $\delta: S \times \mathcal{I}_M \rightarrow S$ is the transition function
- $\lambda: S \times \mathcal{I}_M \rightarrow \mathcal{O}_M$ is the output function

$\sigma = (\dots, (I_{obs}, O_{obs}), \dots)$ Observation sequence with $I_{obs} \in \mathcal{I}_M$ and $O_{obs} \in \mathcal{O}_M$

Example of specification model

2 inputs : $V_I = \{a, b\}$

1 output : $V_O = \{o\}$



Summary

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II / Test sequence construction and execution

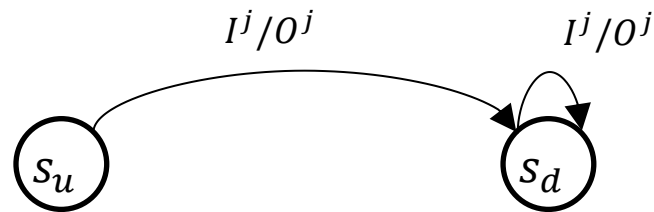
- MIC test sequence
- Desynchronization phenomenon and consequences
- SIC test sequence
- SIC/MIC test sequence

III / A conformance relation for MIC test sequences

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Test step

Transition to test :



Elementary test step : $et = (s_u, I^j, s_d, O^j)$

- Remark: One test step test both the transition and the self-loop

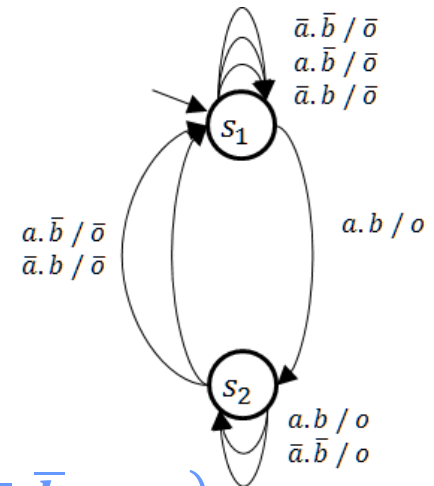
Test sequence : $TS = (et_1, \dots, et_n)$

Test sequence

Test sequence with :

- Minimal-length test sequence

$$TS_{MIC} = ((s_1, \bar{a}. \bar{b}, s_1, \bar{o}), (s_1, a. b, s_2, o), (s_2, \bar{a}. \bar{b}, s_2, o), \\ (s_2, a. \bar{b}, s_1, \bar{o}), (s_1, a. b, s_2, o), (s_2, \bar{a}. b, s_1, \bar{o}))$$



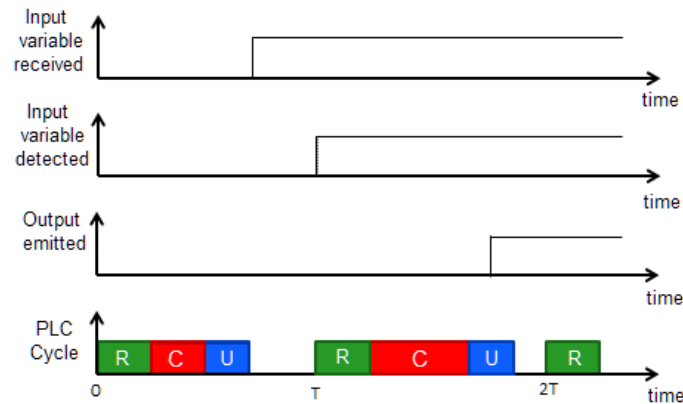
There are some Multiple – Input – Change (MIC) test steps.

- For example: $(s_1, \bar{a}. \bar{b}, s_1, \bar{o}), (s_1, a. b, s_2, o)$ need a and b to synchronously change to True

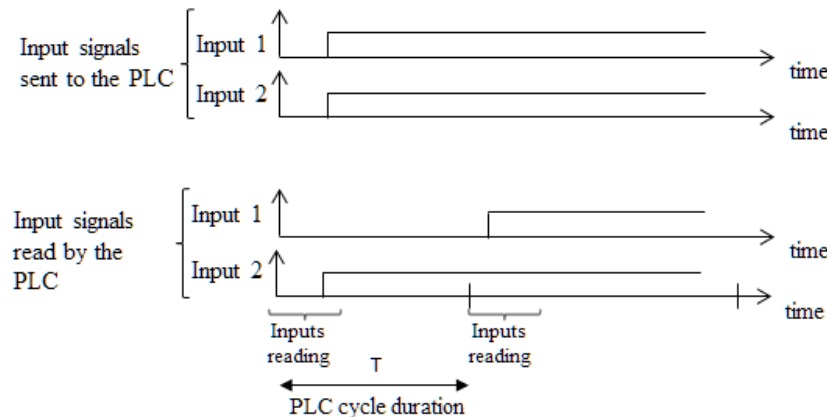
This may be wrongly treated by the PLC.

Desynchronization phenomenon

Due to the Cyclic I/O scanning of the PLC



Synchronous changes of inputs can be read on different PLC cycles



Frequency on test execution

Experiment [Provost,10]:

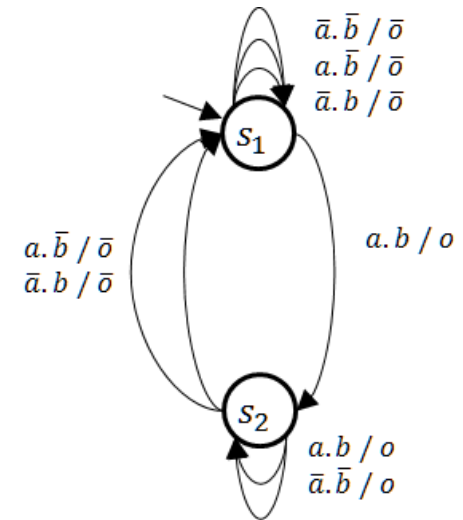
- 8 simultaneous input changes from False to True then True to False
- Inputs allocated on two I/O modules
- 20 000 drawings

Input changes \ PLC period		10 ms	20 ms
On main module	True to False	0,022 %	0,014 %
	False to True	0,886 %	0,455 %
On secondary module	True to False	0,040 %	0,020 %
	False to True	0,993 %	0,550 %
On both modules	True to False	39,62 %	20,23 %
	False to True	43,46 %	21,89 %

SIC test sequence

Test sequence [Provost,10]:

- Only Single – Input – Change test steps
- Minimal length



$$TS_{SIC} = ((s_1, \bar{a}.\bar{b}, s_1, \bar{o}), (s_1, a.\bar{b}, s_1, \bar{o}), (s_1, a.b, s_2, o), \\ (s_2, a.\bar{b}, s_1, \bar{o}), (s_1, a.b, s_2, o), (s_2, \bar{a}.b, s_1, \bar{o}))$$

Test step $(s_2, \bar{a}.\bar{b}, s_2, o)$ is missing

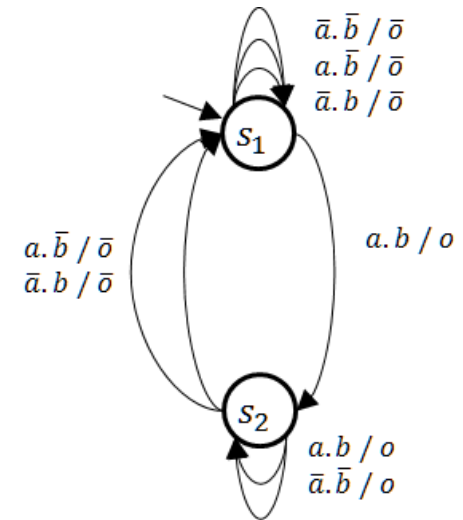
Conclusion:

- Not always possible to guarantee the test objective with a SIC sequence

Minimal MIC test sequence

Solution SIC – MIC [Provost,10]:

- Minimal-length SIC sequence
- Followed by non-SIC-testable test steps



$$\begin{aligned}
 TS_{mixed} = & ((s_1, \bar{a}.\bar{b}, s_1, \bar{o}), (s_1, a.\bar{b}, s_1, \bar{o}), (s_1, a.b, s_2, o), \\
 & (s_2, a.\bar{b}, s_1, \bar{o}), (s_1, a.b, s_2, o), (s_2, \bar{a}.\bar{b}, s_1, \bar{o}), \\
 & (s_1, a.b, s_2, o), (s_2, \bar{a}.\bar{b}, s_2, o))
 \end{aligned}$$

Discussion :

- Reduces the amount of MIC test steps some can not be avoided
- The conformance relation must take them in count

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- Consequences of desynchronization on test
- Definition of a conformance relation
- Illustration
- Pursue of test execution

IV / Conclusions and perspectives

Expected behavior

Initial situation:

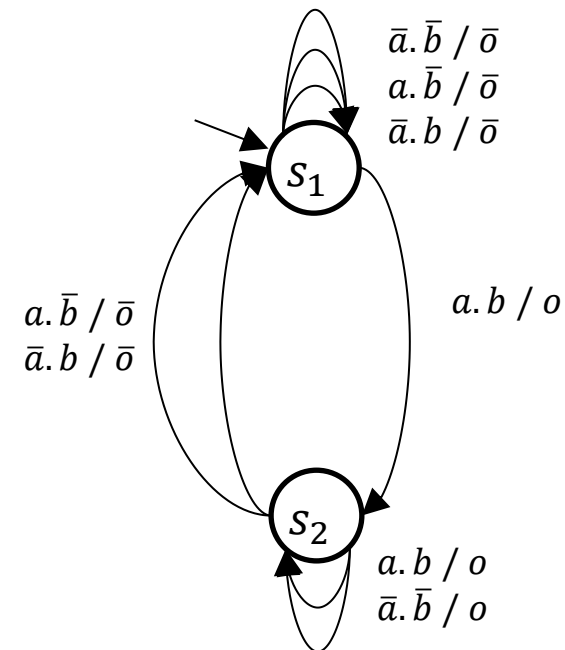
- State s_2 active
- Input combination $a.b$

Test step:

- $et = (s_2, \bar{a}.\bar{b}, s_2, o)$

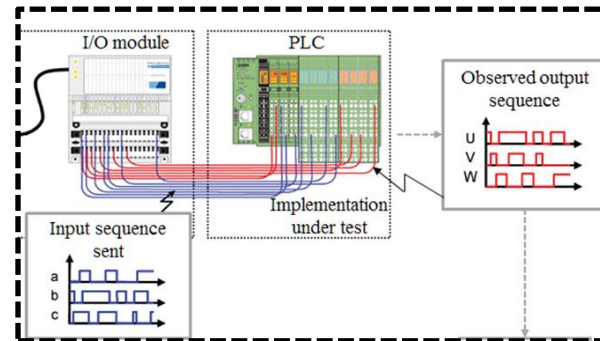
Expected sequence:

- $\sigma = ((a.b, o), (\bar{a}.\bar{b}, o), (\bar{a}.\bar{b}, o), \dots)$



Effective behavior

I/O observed outside the PLC



Expected sequence:

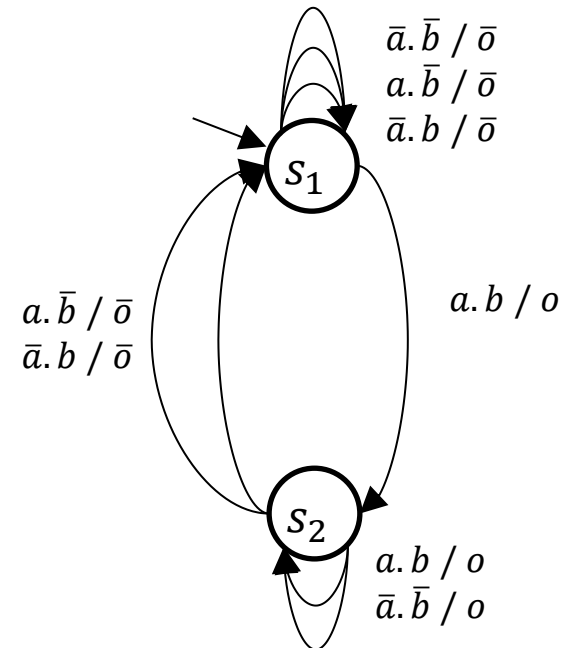
- $\sigma = ((a.b, o), (\bar{a}.\bar{b}, o), (\bar{a}.\bar{b}, o), \dots)$

PLC read/updated sequence:

- $\sigma = ((a.b, o), \underbrace{(a.\bar{b}, \bar{o})}, (\bar{a}.\bar{b}, \bar{o}))$

Observed sequence:

- $\sigma = ((a.b, o), \underbrace{(\bar{a}.\bar{b}, \bar{o})}, (\bar{a}.\bar{b}, \bar{o}))$



Idea

The observed sequence is not the expected one

However, this implementation conforms to the specification

It should not be rejected by the conformance relation.

Conformance relation

Let $et_c = (s_b; I^j ; s_c; O^j)$ be the current test step, Let $et_p = (s_a; I^i; s_b; O^i)$ be the previous test step.

The implementation conforms to the specification if for every test step there is:

Either:

- If $s_b \neq s_c : \exists k \in \mathbb{N}^*$ such as $k < n$ and:
 - If $k > 1: \forall l \in \mathbb{N}^*$ such as $l < k, \mathbf{O}_{obs_l} = \mathbf{O}^i$
 - $\mathbf{O}_{obs_k} = \mathbf{O}^j$
 - $\forall m \in \mathbb{N}^*$ such as $k < m \leq n, \mathbf{O}_{obs_m} = \mathbf{O}^j$
- If $s_b = s_c : \forall k \in \mathbb{N}^*$ such as $k \leq n, \mathbf{O}_{obs_k} = \mathbf{O}^j$

Test of the firing of a transition

Test of a self-loop

Or

- $\exists k < n - 1$ such as:
 - If $k > 1: \forall l \in \mathbb{N}^*$ such as $l < k, \mathbf{O}_{obs_l} = \mathbf{O}^i$
 - It exists $I^x \in \mathcal{J}_M$ such as:
 - $(I^x \setminus I^i \cup I^i \setminus I^x) \subset (I^j \setminus I^i \cup I^i \setminus I^j)$
 - $\lambda(s_b, I^x) = \mathbf{O}_{obs_k}$
 - Let $s = \delta(s_b, I^x)$ be the downstream state of the transition,
 - It exists a transition such as $\lambda(s, I^j) = \mathbf{O}_{obs_{k+1}}$
 - And $\forall m \in \mathbb{N}^*$ such as $k + 1 < m \leq n, \mathbf{O}_{obs_m} = \mathbf{O}_{obs_{k+1}}$

Test on which input changes are seen asynchronously:

- Checks if a transition exists from the current state associated to the observed output
- Checks if the input condition is a subset of input changes
- Checks if the next PLC cycle correctly takes in count all the input changes

Example of a correct implementation

Initial situation:

- State s_2 active
- Input combination $a.b$

Test step:

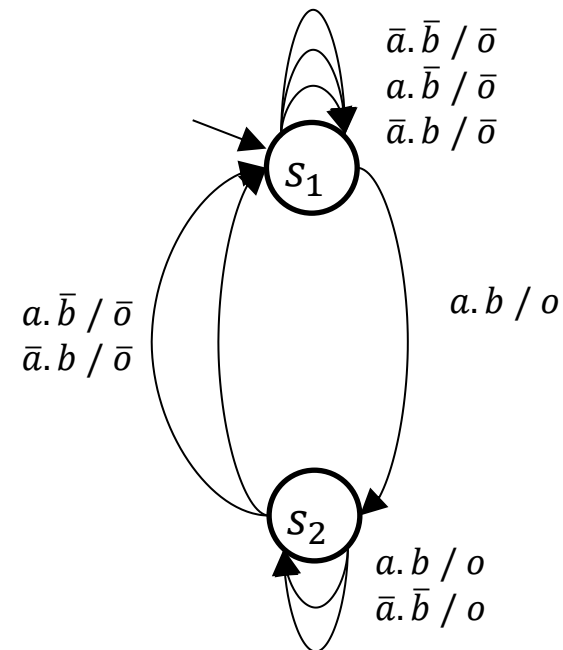
- $et = (s_2, \bar{a}.\bar{b}, s_2, o)$

Expected sequence:

- $\sigma = ((a.b, o), (\bar{a}.\bar{b}, o), (\bar{a}.\bar{b}, o), \dots)$

Observed sequence:

- $\sigma = (\underbrace{(a.b, o)}, \underbrace{(\bar{a}.\bar{b}, \bar{o})}, \underbrace{(\bar{a}.\bar{b}, \bar{o})})$



Example of an incorrect implementation

Initial situation:

- State s_2 active
- Input combination $a.b$

Test step:

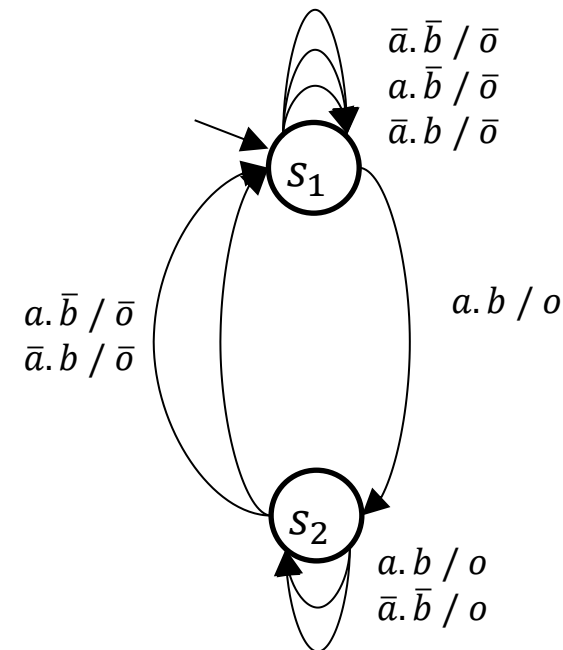
- $et = (s_2, \bar{a}.\bar{b}, s_2, o)$

Expected sequence:

- $\sigma = ((a.b, o), (\bar{a}.\bar{b}, o), (\bar{a}.\bar{b}, o), \dots)$

Observed sequence:

- $\sigma = ((a.b, o), (\bar{a}.\bar{b}, \bar{o}), (\bar{a}.\bar{b}, o))$



Pursue of the test execution

After a desynchronization phenomenon:

- There is no guarantee that the active state is the expected state
- The active state will not correspond to the one in the next test step
- It is necessary to modify the test sequence to continue the test

Possible solutions:

- Recomputation of the whole sequence
- Finding a previous test step from which to restart the test
- Finding a SIC path to come back to the treated test step

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Conclusions and perspectives

Conclusion:

- To meet the test objective, it is not always possible to prevent MIC test steps
- Asynchronous read of synchronous input changes cannot be ignored in the conformance relation
- A new conformance relation has been defined
- To be published in WODES'14:
 - A. Guignard, J.M. Faure, A conformance relation for model-based testing of PLC, 12th International Workshop on Discrete Event Systems, 2014

Perspectives:

- Choice and implementation of a method to pursue test execution
- Adaptation to closed-loop validation methods (to be submitted at ETFA'14)

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